

Testing data assimilation methods on convective-scale dynamics

Michael Würsch^{1,2}, Mylene Haslehner¹, Heiner Lange¹, George Craig², Tijana Janjic-Pfander³, Martin Weissmann¹ and Roland Potthast⁴

¹Hans-Ertel-Centre for Weather Research, Data Assimilation Branch, Ludwig-Maximilians-Universität München, Germany

²Meteorologisches Institut, Ludwig-Maximilians-Universität München, Germany

³Hans-Ertel-Centre for Weather Research, Data Assimilation Branch, Deutscher Wetterdienst, Germany

⁴Deutscher Wetterdienst, Offenbach, Germany

Models and experiments developed Data assimilation algorithms tested: Goals for testing the suitability: Create a model hierarchy where the models are computationally cheap but represent some ble Trepeteres Kelmeres Filter (FTKE)

Jse the results of toy model experiments to predict the behavior in full models		(presented here) ➤ Idealized NWP system experiments		Efficient particle filter (with nudging) All methods with localization and observation averagin
cochastic cloud model Modified shallow wa		ter model	Idealized NWP System Experiments	

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Non-Gaussianity

- Discrete number of clouds in each box
- \succ Low density of clouds (e.g. 0.1)
- > No spatial correlation between grid points

Nonlinearity

- Clouds appear and disappear randomly
- Poisson birth-death process with instantaneous birth/death
- Probability of death gives average lifetime



Assimilation with ETKF and ensemble size 50. Red vertical lines are position of clouds. \succ All clouds are assimilated correctly. Lots of spurious clouds in the ensemble mean.



1D Shallow water model plus an additional equation for rain. Velocity equation is modified to initiate formation of clouds.

Momentum equation:

$$-u\frac{\partial u}{\partial x} + \frac{\partial(\phi + r)}{\partial x} = K\frac{\partial^2 u}{\partial x^2} + F, \ \phi = \begin{cases} \phi_c + gH, & Z > H_c \\ g(H+h), & \text{otherwise} \end{cases}$$

Continuity equation:

 $\frac{\partial h}{\partial t} + \frac{\partial (uh)}{\partial x} = K \frac{\partial^2 h}{\partial x^2},$

Rain equation with advection, production and removal of rain $\frac{\partial r}{\partial t} + u \frac{\partial r}{\partial x} = K_r \frac{\partial^2 r}{\partial x^2} - \alpha r - \begin{cases} \beta \frac{\partial u}{\partial x}, \ Z > H_r \text{ and } \frac{\partial u}{\partial x} < 0 \\ 0 & \text{ otherwise} \end{cases}$ otherwise

Model settings: Gravity wave speed = 30m/s, H₀=90mdx=500m, dt=5s, domain=500km, $H_c=90.04$, $H_r=90.4$

COSMO

Non-hydrostatic, convection-permitting, NWP model *Domain*: 396 x 396 x 20 km, cyclic boundary conditions Resolution: 2 km horizontal, 50 vertical levels, 12 s time step Initial sounding: 2200 J/kg CAPE, unidirectional shear **KENDA**

50 members LETKF, initialized with random T and w perturbations. Assimilation every 5 min using Doppler winds, averaged to 4 (or 8) km. Gaspari-Cohn localization radius of 16 (or 32) km.







Hovmöller diagrams for a mean wind of 30 m/s (left) and 40 m/s (right) A mountain with half-width 10 km and a height of 0.2 m is located at distance 0 km.

 \succ In case of a weak mean wind, the clouds are not able to move past the orography \succ In case of a stronger mean wind, a sequence of clouds is built and propagates downstream. Comparable to simulations of flow over a ridge (Chu and Lin, 2000)

- Radar observations and radial wind as synthetic observations.
- More thorough analysis of different observation configurations ongoing.

Preliminary Results:

- A good fraction of clouds is assimilated when observing all grid points and using quite a small observation error.
- Fastest evolving clouds not captured.
- Ensemble is underdispersive.



Height analysis after 10 LETKF cycles with observations every 5 minutes and 20 ensembles. All fields are observed at every grid point.

References

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